Index of Claims	Application No.
i (BRIB) (IRI) RRIJE BIJE) IIRIS RIJER IIIII BIRI) (BRI 1881	10/616,347
	Examiner
	Vincent Q Nguyen

Applicant(s)

MORIMOTO, HIDEO

Art Unit

√	Rejected
=	Allowed

_	(Through numeral) Cancelled
+	Restricted

N	Non-Elected	
ı	Interference	

A	Appeal
O	Objected

2858

The color of the	Claim	Ī		[Date			•	-		Cla	im				Date				:::[Cla	aim					ate			_	
1 1 1 1 1 1 101 102 3 3 1 1 102 3 1 1 102 3 1 1 102 3 1 1 102 3 1 1 102 3 4 4 4 4 4 4 1 104 4 5 5 5 1 100 4 4 4 1 104 4 5 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 106 6 6 7 107 108 8 8 8 8 8 8 9 109 9 9 109 9 109 9 109 9 109 9 109 109 109 109 109 109 109 111 101 101 101 101		4 4	. [<u>a</u>				П		П				al								T	
1 1 1 1 1 1 101 102 3 3 1 1 102 3 1 1 102 3 1 1 102 3 1 1 102 3 1 1 102 3 4 4 4 4 4 4 1 104 4 5 5 5 1 100 4 4 4 1 104 4 5 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 106 6 6 7 107 108 8 8 8 8 8 8 9 109 9 9 109 9 109 9 109 9 109 9 109 109 109 109 109 109 109 111 101 101 101 101	gi gi										na	gin						11			ina	gi					-	- 1			
1 1 1 1 1 1 101 102 3 3 1 1 102 3 3 1 1 102 3 1 1 102 3 1 1 102 3 4 4 4 2 4 54 4 104 4 56 56 56 106 7 107 108 8 8 8 8 8 9 109 1	피를	2 3									ᄪ	Ö						1			Œ.	ō	l						- 1		
Section Sect			1_	<u> </u>		_	\dashv	-						-	+-	-		┵					-		-	\dashv		\dashv	+	\dashv	ᅴ
3 3 V 2 53 55 54 54 55 55 56 56 56			-	-		\dashv	\dashv						-	+-	╁			╀	-				\dashv	\vdash	\dashv	ᅱ		-+	\dashv	\dashv	\dashv
4 4 2 5 5 = 104 5 5 5 5 105 106 6 6 = 105 56 106 107 8 8 7 = 107 8 8 8 = 107 8 8 9 109				H	\vdash		\dashv	\dashv			\vdash			+	┿	\vdash		\vdash	-				\dashv	\dashv		-		-	+	+	ᅱ
5 5 2 105 6 6 6 6 6 6 6 6 6 6 6 6 100 100 100 100 100 100 100 100 100 100 100 100 100 100 100 100 100 110 110 111			-	\vdash		\dashv	\dashv	\vdash			\vdash			╁	+	\vdash	+	++	\dashv	::::			\dashv	\vdash		\dashv	一	十	\dashv	十	ᅥ
6 6 a 106 107 8 8 7 a 107 8 8 a 107 8 8 a a 58 108 100 100 100 100 100 100 100 110 110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1111 1110 1110 1111			+-			\dashv	Н		_				-+	+	\top	\vdash		11	\dashv				\neg	П			寸	\neg	_	\dashv	ヿ
8 7 = 107 108 108 108 109 109 109 109 109 109 110 111 61 111			-					\Box	_					\top	\top	H	_	\Box	7					П						\exists	ᅱ
10		=	\top			\neg		П						\top																	
10	8 8	=													\Box																
11	9																											_		_	
12	10										<u>. </u>							\sqcup						Ш				4	\perp	4	
13 14 63 113 114 114 64 114 115 65 115 116 116 116 116 116 116 116 117 66 66 1117 117 118 118 118 118 118 118 118 119 119 120 119 120 121 121 121 121 121 122 22 23 73 123 123 123 123 123 124 124 124 125 125 125 26 76 126 77 127 127 127 127 127 127 127 127 127 127 127 127 127 127 127 127 127 129 30 <t< td=""><td></td><td></td><td>_</td><td>$oxed{oxed}$</td><td>Ш</td><td>\Box</td><td>\square</td><td>Ш</td><td></td><td></td><td></td><td></td><td>Щ.</td><td>\perp</td><td>\bot</td><td><u> </u></td><td></td><td>\sqcup</td><td>_</td><td></td><td></td><td></td><td>Щ</td><td>\square</td><td></td><td>\dashv</td><td> </td><td>\dashv</td><td>4</td><td>_</td><td>\dashv</td></t<>			_	$oxed{oxed}$	Ш	\Box	\square	Ш					Щ.	\perp	\bot	<u> </u>		\sqcup	_				Щ	\square		\dashv		\dashv	4	_	\dashv
14 15 66 115 115 115 116 115 116 115 116 116 116 116 116 116 117 117 117 117 117 118 118 118 118 118 118 119 119 120 120 121 120 121 121 121 121 121 122 122 122 122 122 122 122 123 123 123 123 123 124 124 124 124 124 124 124 124 124 124 124 125		$\sqcup \!\!\! \perp$	4	igspace	\sqcup		\sqcup	Щ			\sqsubseteq		\vdash	+	_	\sqcup	\perp	++	\dashv				Щ	$\vdash \vdash$		\dashv	_	-	\dashv	4	긕
15 16 65 115 116 116 116 116 116 117 117 117 117 117 117 117 117 117 117 117 118 118 118 118 119 119 120 120 120 120 120 121 121 121 121 121 121 121 121 121 122 122 122 122 123 123 123 123 123 124 124 124 124 124 124 124 124 124 124 124 124 124 124 125 125 125 125 125 125 125 125 125 125 125 126 127 127 127 127 127 127 127 127 127 127 127 128 128 129 130 130 130 130 130 130 130 131		\vdash	4-	-	Н	\dashv	$\vdash \vdash$	-	_				\dashv		+	H	-	┿	-				_	$\vdash \vdash$		-	\dashv	-	+	-	\dashv
16			+	₩	Н	\dashv	${oxdot}$	\vdash					\vdash	+	+	\vdash	+	+						\vdash	-	-	\dashv	+	\dashv	\dashv	\dashv
17 18 67 117 118 118 118 118 118 119 119 119 120 119 120 121 120 121 120 121 121 121 121 121 121 122 122 123 123 123 123 123 123 123 123 123 124 124 124 124 124 124 125 126 126 126 126 126 126 127 127 127 127 127 127 127 127 127 128 128 128 128 128 128 129		\vdash	+-	Η-	-		Н	Н						+	+	╁		╁	-					Н	-	\dashv	\dashv	\dashv	+	\dashv	\dashv
18 19 68 118 119 120 120 120 120 120 120 120 121 121 121 121 121 121 121 121 121 121 122 122 123 123 123 123 123 123 123 123 124 124 124 124 124 124 124 125 125 125 125 125 125 127 77 127 127 127 127 127		\vdash	╁	 	-	-		\vdash	-				\vdash	+	+	\vdash		╆╌┼	\dashv					\vdash	-i	-	\dashv	\dashv	\dashv	\dashv	\dashv
19			-	<u> </u>		\dashv	H	\vdash		1			-	+	+	-		+ +	-					Н	_	-	\dashv	十	\dashv	十	\dashv
120		╁┼	+	\vdash	Н	\vdash	\vdash	\vdash			-		\vdash	+	+	\vdash	-+-	+	\dashv					Н			\dashv	\dashv	\dashv	十	\dashv
21 71 121 122 122 122 122 122 122 123 123 123 123 123 123 123 123 123 123 124 124 124 124 125 125 125 125 126 127 127 127 127 127 127 127 127 127 127 127 129 129 130 130 130 130 131 131 131 131 131 131 131 131 131 131 132 132 133 133 133 133 133 133 134 134 134 134 134 134 134 134 134 134 135 135 135 136 135 135 136 136 136 137 137 137 137 137 137 137 137 138 138 138 138 139 139 140		\vdash		\vdash	Н		\vdash	\vdash	_					+	+			11						Н	_			一	\dashv	\neg	\neg
22 3 122 123 123 123 124 124 124 124 124 125 125 125 125 125 126 126 126 127 127 127 127 127 128 128 128 128 129 129 129 130 130 130 131 131 131 131 131 131 131 132 133 134 134 134 134 134 134 134 134 134 134 134 135 135 135 135 135 135 135 135 136 137 137			+	T										┰	1			\Box	\neg					П				T		\neg	\Box
23 73 123 124 124 124 124 125 125 125 125 125 126 126 126 126 127 127 127 127 127 128 128 128 128 128 128 129 129 130 130 130 130 130 130 130 130 130 131 131 131 131 132 132 132 132 132 133 134 134 134 134 134 134 134 134 134 134 134 134 134 134 134 134 134 134 134		 	T	T	П									1				11				122									
24 74 124 25 75 125 26 76 126 27 77 127 28 78 128 29 79 129 30 80 130 31 81 131 32 82 132 33 83 133 34 84 134 35 85 135 36 86 136 37 87 137 38 88 138 39 89 139 40 90 140 41 91 141 42 92 142 43 93 143 44 94 144 45 95 145 46 96 146 47 97 147			\top	Г				П																					\Box	\Box	
26 76 126 27 77 127 28 78 128 29 79 129 30 80 130 31 81 131 32 82 132 33 83 133 34 84 134 35 85 135 36 86 136 37 87 137 38 88 138 39 89 139 40 90 140 41 91 141 42 92 142 43 93 143 44 94 144 45 95 145 46 96 146 47 97 147	24											74																		\Box	_]
27 38 127 128 128 128 128 128 129 129 129 129 130 130 130 131 131 131 131 131 131 131 132 132 132 133 133 133 133 133 134 134 134 134 134 134 134 135 135 135 135 135 136 136 137 137 137 137 138 138 138 138 138 139 140 140 141 141 141 141 141 141 142 142 143 144 144 144 144 144 144 144 145 145 145 145 146 146 146 147 147 147 147 147 147 147 147 147 147 147 147 147 147 147 147 147 147								Ш	<u>_</u>					\perp	_	\sqcup		\sqcup	_										_	_	
28 78 128 29 129 129 30 80 130 31 81 131 32 82 132 33 83 133 34 84 134 35 85 135 36 86 136 37 87 137 38 88 138 39 90 140 41 91 141 42 92 142 43 94 144 44 94 144 45 96 146 47 97 147		oxdot	\perp	┖	Щ								\sqcup	_	_	\sqcup	_	\perp	_					Ŀ			_			\dashv	_
29 79 129 30 80 130 31 81 131 32 82 132 33 83 133 34 84 134 35 85 135 36 86 136 37 87 137 38 88 138 39 89 139 40 90 140 41 91 141 42 92 142 43 93 143 44 94 144 45 95 145 46 96 146 47 97 147		oxdot	\bot	<u> </u>		_		Ш	_					-	4_	\vdash		\vdash						Н	_	_	-		\dashv	\dashv	
30 80 130 31 81 131 32 82 132 33 83 133 34 84 134 35 85 135 36 86 136 37 87 137 38 88 138 39 89 139 40 90 140 41 91 141 42 92 142 43 93 143 44 94 144 45 95 145 46 96 146 47 97 147		$\vdash \vdash$	_		_		Н	Щ			<u> </u>		-	-	+-	-		+	-					\vdash	\vdash	_	-	-	\dashv	\dashv	\dashv
31 81 131 32 82 132 33 83 133 34 84 134 35 85 135 36 86 136 37 87 137 38 88 138 39 89 139 40 90 140 41 91 141 42 92 142 43 93 143 44 94 144 45 95 145 46 96 146 47 97 147		\vdash	+	╀	\vdash		Н	\vdash			├		\vdash	+	┿		+	╁┼						-	_	-	_	-	\dashv	\dashv	\dashv
32 82 132 33 83 133 34 84 134 35 85 135 36 86 136 37 87 137 38 88 138 39 89 139 40 90 140 41 91 141 42 92 142 43 93 143 44 94 144 45 95 145 46 96 146 47 97 147		\vdash	+	├	\vdash		Н	Н		1	 		\vdash	╁	╅		+	╁	\dashv				_	Н	\vdash	-		\dashv	\dashv	十	\dashv
33 83 133 34 84 134 35 85 135 36 86 136 37 87 137 38 88 138 39 89 139 40 90 140 41 91 141 42 92 142 43 93 143 44 94 144 45 95 145 46 96 146 47 97 147		H	+	╁	\vdash		Н	Н		ł::::	 		\vdash	+	╅╾	1		11						Н	\vdash				\dashv	┪	\dashv
34 84 134 35 85 135 36 86 136 37 87 137 38 88 138 39 89 139 40 90 140 41 91 141 42 92 142 43 93 143 44 94 144 45 95 145 46 96 146 47 97 147		\vdash	╁╌	十	H	\vdash	Н	H			<u> </u>		\vdash	+	+		+	++	\dashv					Н	_	_			寸	\dashv	\dashv
35 85 135 36 86 136 37 87 137 38 88 138 39 89 139 40 90 140 41 91 141 42 92 142 43 93 143 44 94 144 45 95 145 46 96 146 47 97 147		++-	+-	\vdash	\vdash		Н	H	_	1	\vdash		\vdash	+	十		\top	++	\dashv						\Box				T	\dashv	\neg
36 86 136 37 87 137 38 88 138 39 89 139 40 90 140 41 91 141 42 92 142 43 93 143 44 94 144 45 95 145 46 96 146 47 97 147		$\Box \Box$	\top	\top	П	П	П	\Box		1					\top	\Box^{\dagger}						135									
38 88 39 89 40 90 41 91 42 92 43 93 44 94 45 95 46 96 47 97	36]::::		86			$oxed{\mathbb{L}}$			\Box				136									
39 89 139 40 90 140 41 91 141 42 92 142 43 93 143 44 94 144 45 95 145 46 96 146 47 97 147	37]				\perp			\perp	\Box												ot	
40 90 41 91 42 92 43 93 44 94 45 95 46 96 47 97														. [\perp	\Box	_[_		_									\dashv	_	\dashv	
41 91 141 42 92 142 43 93 143 44 94 144 45 95 145 46 96 146 47 97 147		$oxed{\Box}$				Ш	Ш	\square	_	J	<u> </u>		$\sqcup \bot$	1	4_	\sqcup	\perp	$\perp \downarrow$	_					Ш	<u> </u>			_	_	_	
42 92 43 93 44 94 45 95 46 96 47 97		₩.	\perp	上	\sqcup	Ш	Ш	\sqcup			اــــــــا		\sqcup		4_	\sqcup	\perp	+	_				ļ	\vdash	<u> </u>	Ш	\Box	_	\dashv		_
43 93 44 94 45 95 46 96 47 97	41	$\sqcup \!\!\! \perp$	\bot	 	Щ	Щ	$\vdash \vdash$	$\vdash \dashv$	_	 	<u> </u>		$\vdash \vdash$	+	+-	$\vdash \vdash$		 	_			141	L.	\vdash	<u> </u>	<u> </u>	\dashv	\dashv	\dashv	\dashv	_
44 94 144 45 95 145 46 96 146 47 97 147		$\vdash\vdash$	+-	\vdash	\vdash	Н	Н	┝┤	<u> </u>				$\vdash \vdash$		- -	\vdash	+	++	-		-		<u> </u>	\vdash	\vdash	\vdash		\dashv	\dashv	\dashv	_
45 95 46 96 47 97		┼	+	┼-	-	Н	Н	\vdash	├-	1	<u> </u>		\vdash	+	+-	$\vdash \vdash$	+	╁╾┼	-1			143	 	⊢	-	\vdash	\dashv		\dashv	\dashv	-
46 96 146 147 147 147 147 147 147 147 147 147 147		+	╁	┼	-	H	┼╌┤	\vdash	\vdash	1	-		\vdash	+	+	\vdash	+-	+-+	\dashv				<u> </u>	\vdash	├─	\vdash	\dashv	-	十	\dashv	\dashv
47 97 147 147		++	+	┼	\vdash	\vdash	Н		┝	1	<u> </u>		\vdash	+	+	\vdash	\dashv	+-+	\dashv				-		\vdash	\vdash	\vdash		-+	\dashv	-
		+	+	\vdash		H	Н	Н	\vdash	1	—		\vdash	+	+	\vdash	+	+-+	\dashv			147						\dashv	_	\dashv	
1 40	48		+	T		H	Н	Н	1			98	\vdash	\top	+	\sqcap	1		\dashv			148	-		Г	Г	\neg	\neg	\dashv	ヿ	
49 99 149 149		\vdash	\top	†		П	П	П	Г	1		99	\sqcap	丅	T				\exists			149								コ	
50 100 150 150			1]					\perp							150								\Box	